

Attachment Macroeconomics: A European Perspective 2015-2016

Chapter 1:

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Chapter 2:

1. GDP growth rate: $(Y_t - Y_{t-1}) / Y_{t-1}$

2. Labour force (L) = Unemployment (U) + Employment (N)

3. $P_t = \frac{\text{Nominal GDP}_t}{\text{Real GDP}_t} = \frac{\text{€}Y_t}{Y_t}$

Chapter 3:

1. $C = (Y - T) + C_0$

2. $C = C_0 + C_1(Y - T)$

3. $Z = C + I + G$

4. $Z = C_0 + C_1(Y - T) + I_0 + G_0 = Y$ (equilibrium condition)

5.

$Y = \frac{1}{1 - C_1} \times (C_0 + I_0 + G_0 - C_1 T)$

6. $S = Y - C - T$

7.

$(Y - C - T) + (T - G) = S_{\text{total}}$

Since $Y = C + I + G$, it is logic to say that $Y - C - G = I$. When you subtract taxes from both side you get:

$Y - T - C - G = I - T \rightarrow Y - T - C = I + G - T$

Since $Y - T - C =$ private saving and $G - T =$ Public saving you can say that:

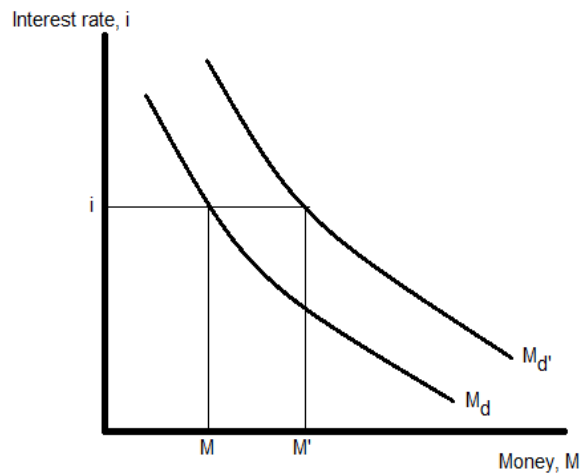
$(Y - T - C) - (G - T) = I$

So $S = I$ in the equilibrium. This is called the **IS relation**.

Chapter 4 :

1. $M_d = \text{€}YL(i)$

2.



3. $M_s = M_d \rightarrow M = \epsilon Y L(i)$

4.

- Demand for deposit accounts:
 $D^d = (1-c)M^d$
 c is the share of money held as a currency
- Demand for reserves by banks:
 $R^d = \theta(1-c)M^d$
- Demand for **central bank money**:
 $H^d = CU^d + R^d$ (with CU demand for currency)
- When we assume the equilibrium condition for central bank money, $H = H^d$, we can combine all equations to get:
 $H = (c + \theta(1-c)) \epsilon Y L(i)$

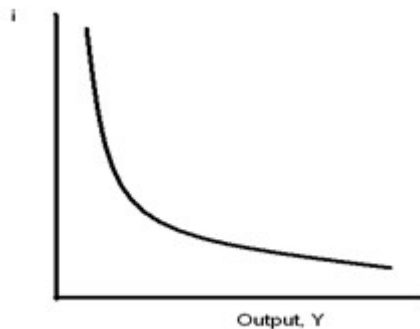
5. money multiplier = $1 : (c + \theta(1-c))$

Chapter 5 :

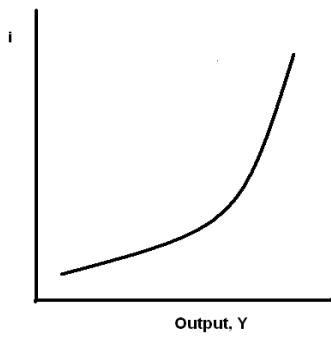
1. $I = I(Y, i)$
 (+, -)

Leading to:

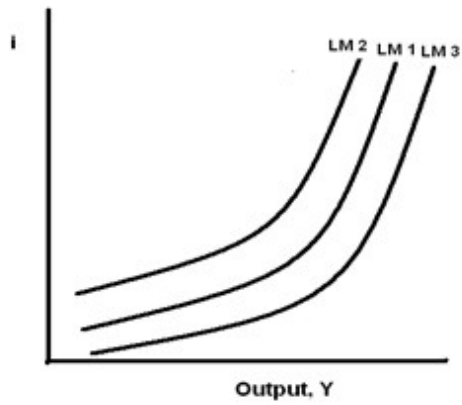
$Y = C_0 + C_1(Y-T) + I(Y, i) + G_0$



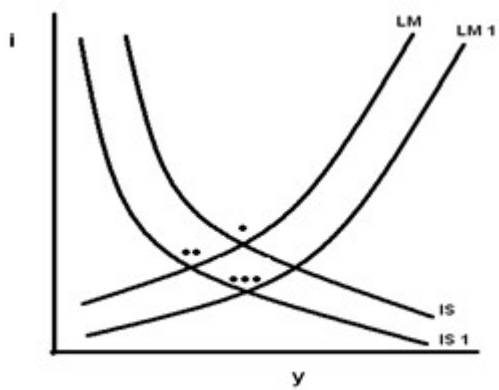
2. $M/P = YL(i)$ (Note: $(\epsilon Y/P) = Y$)



3.



4.



Chapter 6:

1. Real exchange rate: $\epsilon = \frac{EP}{p^*}$

$$2. (1 + i_t) = (1 + i_t^*) \times (E_t / E_{t+1}^e)$$

$$3. i_t = i_t^* - ((E_{t+1}^e - E_t) / E_t)$$

$$4. Z = C + I + G - (IM/\epsilon) + X$$

$$5. C + I + G = C(Y - T) + I(Y, i) + G$$

+ +, -

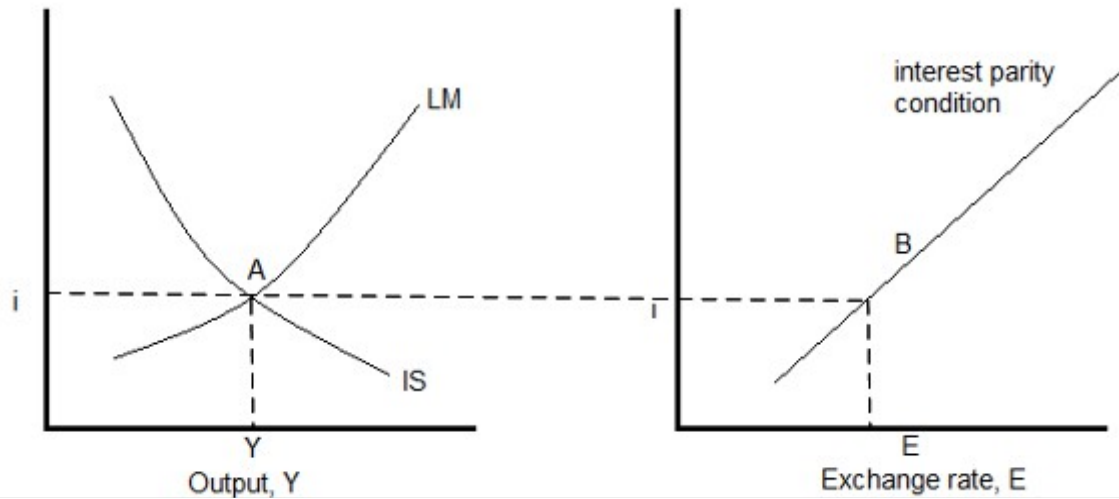
$$6. Y = C(Y - T) + I(Y, i) + G + NX(Y, Y^*, \epsilon) \quad \text{Where } NX = X(Y^*, \epsilon) - IM(Y, \epsilon) / \epsilon$$

+ +, - -, +, -

$$7. E = \frac{1+i}{1+i^*} \bar{E}^e$$

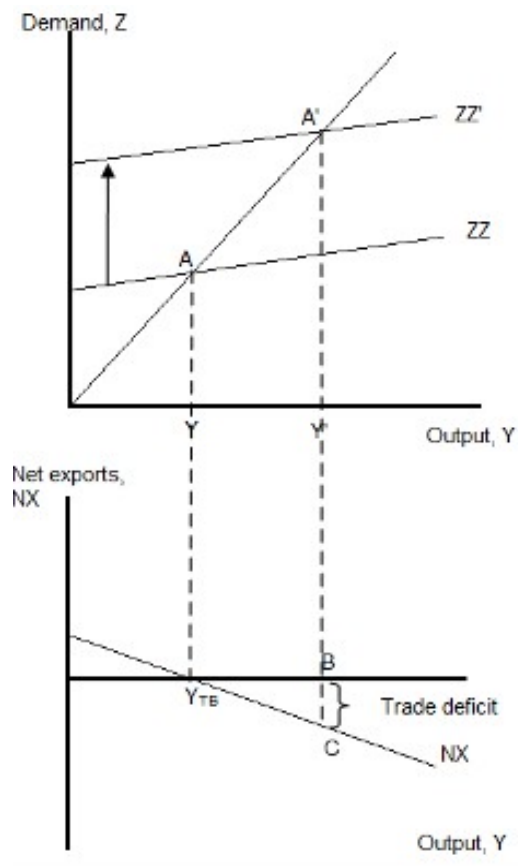
8. **IS:** $Y = C(Y - T) + I(Y, i) + G + NX(Y, Y^*, E)$

LM: $M/P = YL(i)$

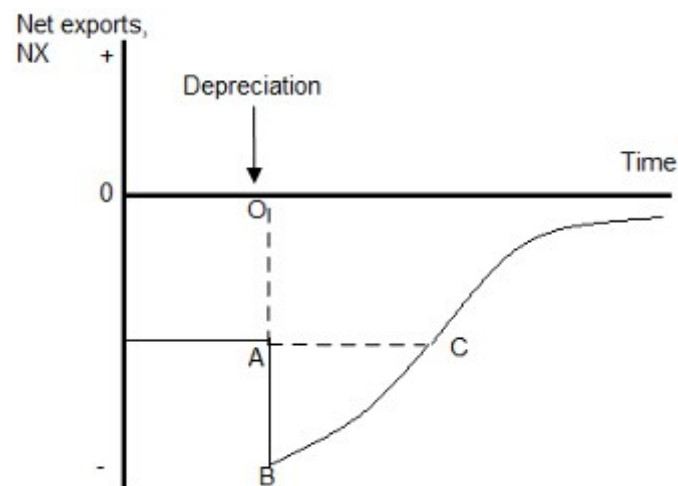


Chapter 7:

1.



2.



$$3. NX = S + (T - G) - I$$

Chapter 8:

$$1. W = P^e F(u, z)$$

(-, +)

2. Total output = Labour productivity x workers $\rightarrow Y = A \times N$

3. $P = (1 + \mu) W$

4. $W/P = F(u, z)$

5. $W/P = 1 / (1 + \mu)$

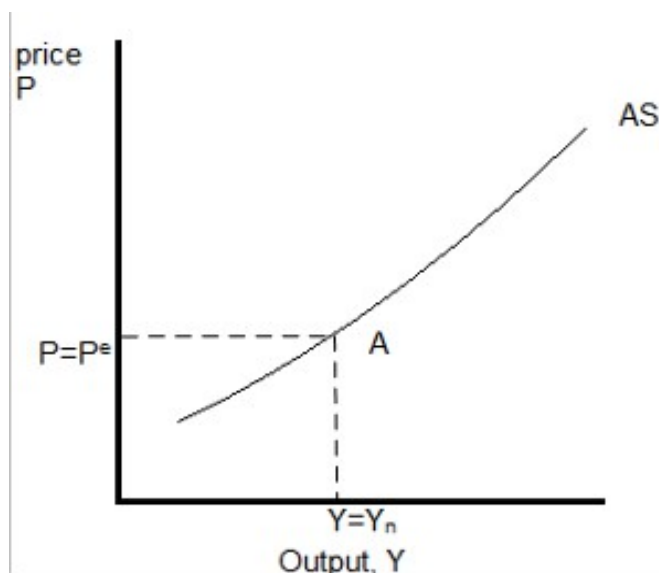
6. $N = L(1 - u)$

7. $u = 1 - (Y/L)$ And $F(1 - (Y/L), z) = 1 / (1 + \mu)$

Chapter 9

1. AS relation: $P = P^e (1 + \mu) F(1 - Y/AL, z)$

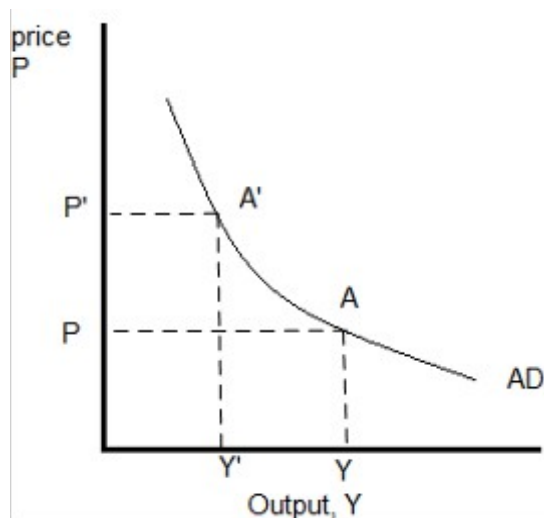
2.



3. AD relation: $Y = Y(M/P, G, T)$

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4.



Chapter 10

1. $F(u, z) = e^{-\alpha u + z}$.
2. $\pi_t = \pi_t^e + (\mu + z) - \alpha u_t$
3. $\pi_t = (\mu + z) - \alpha u_t$
4. $\pi_t = \theta \pi_{t-1} + (\mu + z) - \alpha u_t$
5. $\pi - \pi_{t-1} = (\mu + z) - \alpha u_t$
6. $\pi - \pi_{t-1} = -\alpha (u_t - u_n)$
7. $\pi_t = (\lambda \pi_t + (1-\lambda)\pi_t^e) - \alpha(u_t - u_n)$

Chapter 11

1. $u_t - u_{t-1} = -g_{yt}$
2. $u_t - u_{t-1} = -\beta (g_{yt} - \bar{g}_y)$
3. $g_{yt} = g_{mt} - \pi_t$
4. $r_t = i_t - \pi_{t+1}^e$
5. $i = r_n + g_m$
6. Sacrifice ratio = $\frac{\text{Point-years of excess unemployment}}{\text{Decrease in inflation}}$

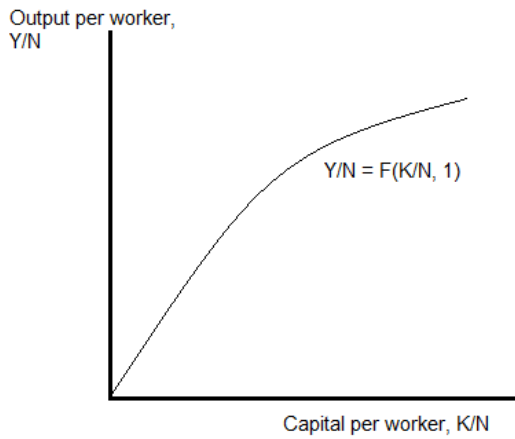
Chapter 12

1. $Y = Y(\bar{E}P/P^*, G, T)$
2. $E_{t+1} = (1 + i_{t+1} / 1 + i_{t+1}^*) E_{t+2}^e$
3. $E_t = \frac{(1+i_t)(1+i_{t+1}^e) \dots (1+i_{t+n}^e)}{(1+i_t^*)(1+i_{t+1}^{*e}) \dots (1+i_{t+n}^{*e})} E_{t+n+1}^e$

Chapter 13:

1. $Y = F(K, N)$

2. Output per worker = Y/N \rightarrow $Y/N = F(K/N, N/N) = F(K/N, 1)$



Chapter 14:

1. $S = sY$

2. $I_t = sY_t$

3.

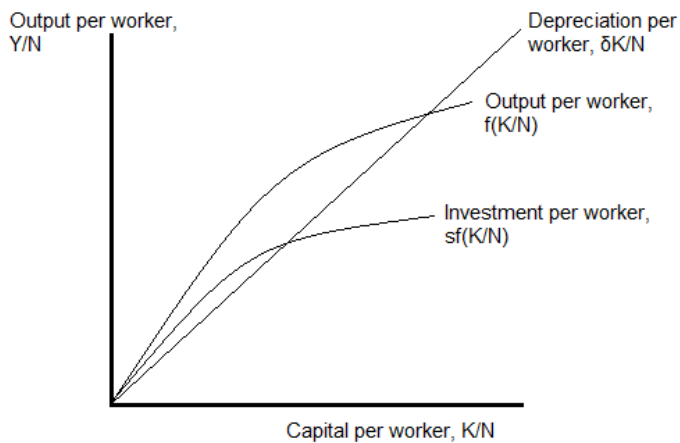
$K_{t+1} = (1-\delta) K_t + I_t$

$\rightarrow K_{t+1}/N = ((1-\delta)(K_t/N)) + (s \times Y_t/N)$

$\rightarrow (K_{t+1}/N) - (K_t/N) = s(Y_t/N) - \delta(K_t/N)$

4. $(K_{t+1}/N) - (K_t/N) = sf(K_t/N) - \delta(K_t/N)$

5.

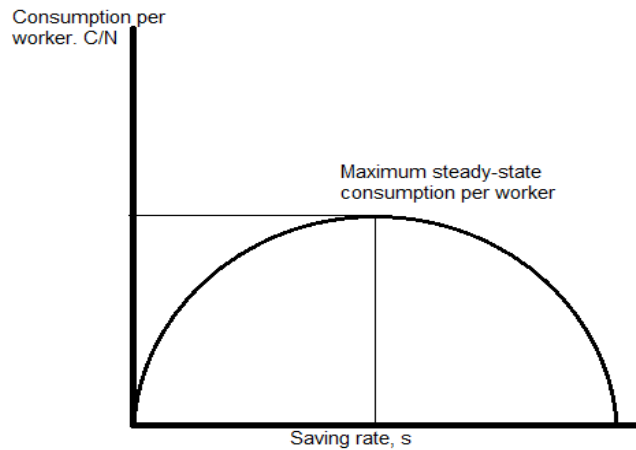


6. capital per worker is given by: $sf(K^*/N) = \delta(K^*/N)$

The steady-state output per worker is:

$Y^*/N = f(K^*/N)$

7.



8.

$$Y = \sqrt{K} \sqrt{N}$$

When you divide both sides by N , as usual the equation looks like this:

$$Y/N = \sqrt{K/N}$$

$$\rightarrow (K_{t+1}/N) - (K_t/N) = s(\sqrt{K_t/N}) - \delta(K_t/N)$$

$$9. C/N = Y/N - \delta (K/N)$$

$$10. C/N = (s (1-s)) / \delta$$

$$11. Y/N = f (K/N, H/N)$$

(+ , +)

Chapter 15:

$$1. Y = F(K, N, A) \rightarrow Y = F(K, AN)$$

(+, +, +)

$$2. K_t / A_t N_t$$

$$3. sf(K/AN) = (\delta + g_a + g_n) \times (K/AN)$$

$$4. I = (\delta + g_a + g_n) K$$

Chapter 16

$$1. \epsilon V_t = \epsilon Z_t + \frac{1}{1+i_t} \epsilon Z_{t+1} + \frac{1}{(1+i_t)(1+i_{t+1})} \epsilon Z_{t+2} + \dots$$

$$2. \epsilon V_t = \epsilon Z \frac{1 - [1/(1+i)]^n}{1 - \frac{1}{1+i}}$$

$$3. \epsilon V_t / P_t = V_t$$

$$4. \text{One year bond price: } \epsilon P_{1t} = \epsilon 100 / (1+i_{1t})$$

Two year bond price: $\text{€}P_{2t} = \text{€}100 / (1+i_{1t})(1+i^e_{1t+1})$

5. Expected return one year bond: $(1+i_{1t})$
 Expected return two year bond: P^e_{1t+1} / P_{2t}

6. $\text{€}P_{2t} = \text{€}P^e_{1t+1} / 1+i_{1t}$

7. $\text{€}P_{2t} = \text{€}100 / (1+i_{2t})^2$

8. $i^e_{1t+1} = 2i_{2t} - i_{1t}$

9. Nominal price of stock: $\text{€}Q_t = \frac{\text{€}D^e_{t+1}}{1+i_{1t}} + \frac{\text{€}D^e_{t+2}}{(1+i_{1t})(1+i^e_{1t+1})} + \dots$

10. Real stock price: $Q_t = \frac{D^e_{t+1}}{1+r_{1t}} + \frac{\text{€}D^e_{t+2}}{(1+r_{1t})(1+r^e_{1t+1})} + \dots$

Chapter 17

1. Human wealth: $V (Y^e_{LT} - T^e_t)$

2. $p_1c_1 + p_2c_2 = p_1y_1 + p_2y_2$

3. $c_1 + (p_2/p_1)c_2 = y_1 + (p_2/p_1)y_2$

4. $c_1 + (1/1+r)c_2 = y_1 + (1/1+r)y^e_2 = V(y^e_t)$ with $t = 1,2$

5. $U (c_1, c_2) = u(c_1) + (1 / 1+\rho)u(c_2)$

6. $MRS = \frac{\partial U(c_1,c_2)/\partial c_1}{\partial U(c_1,c_2)} = \frac{\partial U/\partial c_1}{\frac{1}{1+\rho}\partial U/\partial c_2} = 1 + r$

7.
 $\frac{\partial U/\partial c_1}{\partial U/\partial c_2} = \frac{1+r}{1+\rho}$

8. $C_t = C (W_t, Y_{Lt} - T_t)$
 (+, +)

Where;

$W_t = W_t^F + W_t^H + \sum_{i=0}^t \frac{Y_{t+i}^e - T_{t+i}^e}{(1+r)^i}$

9. $V (\pi^e_t) = \frac{1}{(1+r_t)} \pi^e_{t+1} + \frac{1}{(1+r_t)(1+r^e_t)}(1 - \delta)\pi^e_{t+2} + \dots$

10. $l_t = l[V(\pi^e_t)]$
 (+)

11. $l_t = l\left(\frac{\pi_t}{r_t + \delta}\right)$

12. Rental cost = $(r_t + \delta)$

$$13. I_t = I[V(\pi_t^e), \pi_t]$$

$$14. \pi_t = \pi\left(\frac{Y_t}{K_t}\right)$$

(+)

Chapter 18

$$1. A(Y, T, r) = C(Y - T) + I(Y, r)$$

So that the IS relation becomes:

$$Y = A(Y, T, r) + G$$

(+, -, -)

$$2. LM: M/P = YL(r)$$

Chapter 19

$$1. i_t = a_0 + a_1(\pi_{t+1}^e - \pi^*) + a_2\left(\frac{Y_t - Y^*}{Y^*}\right)$$

Chapter 20

1. Capital ratio is the ratio of capital to assets.

Leverage ratio = assets / capital

Chapter 21

$$1. \text{Deficit}_t = rB_{t-1} + G_t - T_t$$

$$2. B_t - B_{t-1} = \text{deficit}_t$$

$$3. B_t = (1 + r) B_{t-1} + (G_t - T_t)$$

$$4. B_t / Y_t = (1 + r)(B_{t-1}/Y_t) + (G_t - T_t)/Y_t$$

5.

$$\frac{B_t}{Y_t} - \frac{B_{t-1}}{Y_{t-1}} = (r - g) \frac{B_{t-1}}{Y_{t-1}} + \frac{(G_t - T_t)}{Y_t}$$

$$6. y_t = \beta y_{t-1} + A$$

$$7. \hat{b} = \frac{(G_t - T_t)/Y_t}{g - r}$$

Chapter 22

$$1. \pi = -\alpha(u - u_n)$$

Chapter 23

1. $\pi_t^* = \pi^* - \alpha (u_t - u_n)$

2. $i_t = i^* + a(\pi_t - \pi^*) - b(u_t - u_n)$